On approximation under *L*-fuzzy information

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Our main purpose is to develop methods of approximation under fuzzy information described by L-sets, where L is a completely distributive lattice. It is closely related to our previous work on approximation theory in fuzzy context [1] and [2].

We consider the problem of approximation of an operator $B: X \to Y$ defined in a set X and taking values in a normed space Y under information given by an operator $A: X \to L^{\mathbb{R}^n}$, i.e. approximating Bx we suppose that an element $x \in X$ is given by an L-set $Ax: \mathbb{R}^n \to L$.

By a method for solving this problem we mean any operator $\varphi : \mathbb{R}^n \to Y$ (in the classical case see e.g. [3]), which allows us to get an approximation of the exact value Bx for each $x \in X$. In this talk we investigate the error $e(\varphi)$ of approximation by a method φ introduced in our talk [4]. In particular we analyse interpolating methods and spline methods.

References

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